

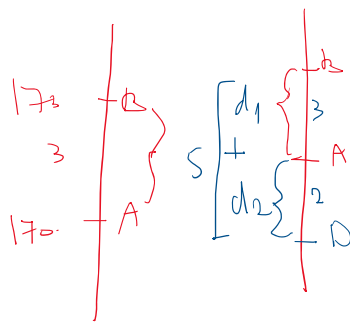
# Scalar additives combining with comparatives

## A degree-based approach

### Still-like additives + comparatives - A degree-based analysis (e.g. [Berta is od / esche / noch taller than Adam](#))

- Umbach 2009: A discourse-based of additive *noch*+comparatives.
  - My students (e.g. Lena Miashkur and Chen Zhuang) and I are developing a degree-based analysis of the additives Hebrew *od* Russian *esche* and Mandarin *hai* with comparatives
  - **The analysis integrates a central component of Umbach's 2009 suggestion:**
    - That the anaphor to *noch*+comparatives is another comparative
  - **Together with a degree-based analysis of the additive particles (Greenberg 2010, 2013), couched in a 'rising scale segments' view, following Thomas 2018 –**
    - where comparatives denote a difference – i.e. an interval / segment on the scale
    - *Berta is 3 cm. taller than Adam* – the measurement of the difference between Berta's and Adam's tallness is 3cm.
- When we use *od / esche + comparatives* we sum the two comparative eventualities (states) and we add the degrees measuring the intervals / differences:
- The degree measuring **differences** between Berta's height and Adam's height + the degree measuring the **difference** between Adam's and Danny's height.
- See **Miashkur & Greenberg 2019** for a suggestion:

### Still-like additives + comparatives - A degree-based analysis (e.g. [Berta is od / esche / noch taller than Adam](#))



### Summing up comparative states and adding their (interval) degrees (Miashkur & Greenberg 2019)

(30) German

Mary ist 20cm größer als John. Aber Bill ist noch  
 Mary be-3SG-PR 20cm tall-COMP than John. But Bill be-3SG-PR more<sub>add</sub>  
 10cm größer als Mary.  
 10cm tall-COMP than Mary.

'Mary is 20cm taller than John and Bill is 10cm still taller than her/Mary.'

(31) Russian

Meri na 20cm vyše Dzona, a Bill ešče na 10cm  
 Mary INST 20cm tall-COMP John-GEN but Bill more<sub>add</sub> INST 10cm  
 vyše nee/Meri.  
 tall-COMP she-GEN/Mary-GEN

'Mary is 20cm taller than John and Bill is 10cm still taller than her/Mary.'

## Summing up comparative states and adding their (interval) degrees (Miashkur & Greenberg 2019)


- the prejacent of the additive *ešče* is the comparative ‘*Bill is 10cm taller than Mary*’,
  - ▷ which denotes a rising scale segment whose start is Mary’s height and whose end is Bill’s height.
  - ▷ the relevant size of this prejacent, is the difference between Bill’s height and Mary’s height, i.e. it equals  $\Delta (\text{Height} (\text{Bill}) - \text{Height} (\text{Mary})) = 10\text{cm}$  (Thomas 2018).
- the anaphor is another comparative (Umbach 2009), ‘*Mary is 20cm taller than John*’,
  - ▷ which also denotes a rising scale segment, this time a segment that starts with John’s height and ends with Mary’s height.
  - ▷ the size of this anaphor scale segment is the difference between Mary’s height and John’s height, i.e.  $\Delta (\text{Height}(\text{Mary}) - \text{Height} (\text{John})) = 20\text{cm}$  (Thomas 2018).

## Summing up comparative states and adding their (interval) degrees (Miashkur & Greenberg 2019)

We now propose that *ešče*+comparative entails there is a rising scale segment that:

- ▷ starts with the measurement of the anaphor (the size of the segment in the anaphor) (20cm)
  - e.g. starts with  $\Delta (\text{Height}(\text{Mary}) - \text{Height} (\text{John})) = 20\text{cm}$
- ▷ ends with the sum of the measurement of the segment in the prejacent and the anaphor (i.e. the sum of the sizes of two segments) (30cm)
  - !! crucially, what is being summed in this case is the sizes of the segments (and not e.g. individual’s heights)
  - e.g. ends with the sum of the size of the prejacent comparative and the anaphor comparative, i.e. ends with  $\Delta (\text{Height} (\text{Bill}) - \text{Height} (\text{Mary})) \oplus \Delta (\text{Height}(\text{Mary}) - \text{Height} (\text{John})) = 20\text{cm} + 10\text{cm}$
- ▷ the size of the segment (the difference between its end and its start) equals the size of the segment in the prejacent (10cm)
  - e.g. it is the size of  $\Delta (\text{Height} (\text{Bill}) - \text{Height} (\text{Mary})) = 10\text{cm}$

## Summing up comparative states and adding their (interval) degrees (Miashkur & Greenberg 2019)

- An interesting cross linguistic difference:
    - (1) *Bill is noch / esche / od /?still taller*
    - (2) *John is taller than Berta. Bill is **esche** taller than him<sub>masc</sub> / ??her<sub>fem</sub>*
    - (3) *John yoter gavoha mi-berta.*  
*Bill od yoter gavoha #mimenu<sub>masc</sub> / mimena<sub>fem</sub>*
- 
- How can that be in Hebrew? Don’t we end up with overlapping intervals?
  - What happens in other languages?

Questions? / Comments?



## Even + Comparatives (*John is even taller than Bill*) – A degree-based analysis (Greenberg 2015, 2018)

- In class # 2 we saw that *even* does not only make a comparative requirement, it also makes an evaluative one (cf. Greenberg 2015, 2018):
- (1) Context: John is an accountant, working in a standard western government office, where workers must wear official-like shirts, suits and ties:
  - a. John wore his usual white shirt to work yesterday, and he (??even) wore [a funny old hat]<sub>F</sub>.
  - b. John wore a colorful T-shirt to work yesterday, and he (even) wore [a funny old hat]<sub>F</sub>.
- Importantly - in both (a) and (b) *p* is less likely / more surprising than *q*.
- But we can see that this is not enough to make *even* felicitous!
- What makes (b) better than (a) is the fact that *p* and *q* are both also **Unlikely** / Surprising (= exceed the norm for unlikelihood / surprise)
- When this requirement is not met (as in (a))- *even* is odd.

## Even + Comparatives (*John is even taller than Bill*) – A degree-based analysis (Greenberg 2015, 2018)

- Consider also the contrast in (1) and (2):
  - (1) John and Bill are tall: John is 1.87m and Bill is even [1.96m]<sub>F</sub>.
  - (2) John and Bill are short. John is 1.60m and Bill is (??even) 1.63m.
- **Remember that the degree-based scalar presupposition of *even* makes TWO requirement** (written here in an informal way):
  - *p* has to indicate a degree higher than the degree indicated by the alternative(s) *q* on the scale G
  - Both *p* and *q* must indicate a degree higher than the standard, on the same G.
  - This explains why (1) is good, but (2) is not:

## Even + Comparatives (*John is even taller than Bill*) – A degree-based analysis (Greenberg 2015, 2018)

- (1) John and Bill are tall: John is 1.87m and Bill is even [1.96m]<sub>F</sub>
- In (1): BOTH requirements can be met wrt G=*tallness*
    - Comparative requirement: Bill (in *p*) has a higher degree on the tallness scale than John (in *q*)
    - Evaluative requirement: Both Bill (in *p*) and John in *q* have a degree which is above the standard of tallness. I.e. both are tall

## Even + Comparatives (*John is even taller than Bill*) – A degree-based analysis (Greenberg 2015, 2018)

- In contrast, for (2), there is not situation where BOTH requirements are met wrt the same G:
- (2) John and Bill are short. John is 1.60m and Bill is (#even) 1.63m.
- **If we choose G=tallness**, the comparative requirement is met (*Bill is taller than John*), but the evaluative one fails (*Neither are tall*)
  - **If, on the other hand we decide to choose G=shortness**, the evaluative requirement is met (both are short), but the comparative one fails (since Bill (in *p*) is NOT shorter than John (in *q*))
  - So the only way to have both requirement to be met wrt. the same gradable property G (**shortness**), is to reverse the order of *p* and *q*:
- (3) John and Bill are both short. John is 1.63m and Bill is (even) 1.60m.

## Even with scales based on negative adjectives

### • **And here is an interesting cross linguistic point:**

- It seems that there are languages where using *even* with scales based on ‘negative’ gradable properties (like *shortness*) is not very good.
- e.g. German *sogar* (Carla Umbach p.c.)
- And that it can be saved with *nur* (= *only*)
- **Is the case for other languages as well?** Mandarin? Russian? Slovenian? Marati? Benghali....?

## Even with scales based on negative adjectives

- To the extent for some languages this is really a problem with *even*-like particles, this it raises several **questions**:
  - Does this mean that compatibility with different ordering of the scale is a parameter along which scalar parameters vary ?
  - Would such languages also have a problem with *even*+negative adjectives in the **comparative**?  
(1) a. *John is tall. Bill is even taller* vs. b *John is short. Bill is even shorter*
  - And would such languages have a problem with *still*-like particles with *less*?  
(2) *dani lo hicliax ba-taxarut. Yosi hiclia'x od paxot*  
“Danny didn't succeed in the competition. Yosi succeeded *even less*”.

## Back to *even*+ comparatives. The basic ‘evaluative’ effect :

(19) *The blue tool is (even) [stronger than the red tool].*

Without *even*: No inference that the blue or red tools are strong (...*but both are weak*)

With *even*: Entailment that both blue and red tools are strong (#...*but both are weak*)

(20) *John is 1.75m tall. Bill is (even) taller.*

Without *even*: No inference that John or Bill are tall (...*but both are rather short*)

With *even*: Entailment that both John and Bill are tall (#... *but both are rather short*)

(21) *John arrived at 3.00. Bill arrived (even) later.*

Without *even*: No inference that John or Bill arrived late (...*but both arrived early*)

With *even*: Entailment that both John and Bill are arrived late (#... *but both arrived early*)

## How is this evaluative effect derived in the degree-based analysis?

(1) *John is 1.70m tall. And Bill is (even) taller than that.*

• We assume that C is {*Bill is 1.70mm tall, Bill is taller than 170m*}

• And that G measures tallness.

• Then the ‘comparative’ requirement in the scalar presupposition is trivially met:

- Obviously, Bill’s degree of tallness in all accessible worlds where he is taller than 1.80m is higher than in all worlds where he is exactly 1.80.

• But the ‘evaluative’ requirement is informative:

- Bill’s degree of tallness in the worlds where he is exactly 1.70m tall to be at least as high as the standard of tallness

• This is how we end up with the inference that both John and Bill are tall.

## Even taller vs. dirtier / wetter

- Notice: We looked at *even+* comparatives of relative – open-scale- adjectives (*even taller*)
- But these seem to be similar to *even-* comparatives of Lower-closed scale adjectives (*wetter/dirtier*):
  - The distinction is from Kennedy & McNally 2005 influential work:
  - Relative, open-scale adjectives: Are associated with scales which are (in principle) unbounded on both ends
  - Lower-closed adjectives: have minimal endpoint: E.g. if you go down and down the wetness / dirtiness scale of an entity – you will hit a point where there it is zero wet (i.e. completely dry), or zero dirty (completely clean)

## Even taller vs. dirtier / wetter

- Kennedy & McNally 2005: The standard for such adjectives is (close to) the scale minima:
  - To be dirty – it is enough that you have some degree of dirt / To be wet – it is enough that you have some degree of wetness
  - Therefore – in comparatives with such adjectives give leads to an evaluative effect:
    - (1) *My right hand is **wetter** than my wet hand* – (-> *My right hand is wet*)
- The evaluative effect of *even+ A<sub>relative</sub>-er* is thus similar to the one we get without *even* with *A<sub>L-closed</sub>-er*.
  - (2) *John is **even taller** than Mary* (→ *John is tall*)
- But there are also differences:
  - Kennedy (2007) observes that with L(ower)-closed comparatives, the ‘positive form’ inference is *entailed* w.r.t the target of comparison
  - but only *implied* in the case of the source of comparison:

## Even taller vs. dirtier / wetter

- (1) *The floor is **wetter** than the countertop.*  
*Entails*: The floor is wet.  
*Implies*: The countertop is wet.
  - (2) *Rod A is **more bent** than rod B.*  
*Entails*: Rod A is bent.  
*Implies*: Rod B is bent.
- (1) and (2) seem completely false if the floor is completely dry or if rod A is completely straight.
  - In contrast, they seem marginally acceptable if the countertop is dry or if rod B is straight.

## Even taller vs. dirtier / wetter

- In contrast when *even* is added to these comparatives the positive form for both source and target of comparison:
  - (1) *The floor is **even wetter** than the countertop.*  
*Entails*: The floor is wet AND The countertop is wet.
  - (2) *Rod A is **even more bent** than rod B.*  
*Entails*: Rod A is bent AND Rod B is bent.
- We saw that this entailment comes from the evaluative requirement which is hardwired into the scalar presupposition of *even*

## Even taller vs. *noch / od / esche* taller

- We saw that both constructions lead to an evaluative effect:

(1) *John is noch / od / esche* taller than Bill

(2) John is *even* taller than Bill

- But these effects arise due to two different mechanisms:

- An entailment – due to a hardwired evaluative requirement with *even* (cf. Greenberg 2015, 2018)
- An implicature – due to accommodation of comparison to the norm with *noch* (cf. Umbach 2009) – it is cancellable
  - When there is an explicit comparison antecedent (*Adam is taller than Chris. Berta is noch taller than Adam* – There is no evaluative / norm related effect)
  - **Notice: This is strikingly similar to what happens with the evaluative ‘smallness’ effect of *only*** (Greenberg 2021):
    - *John has (??)only [11]F kids vs. Bill has 14 kids. John has less, only [11]F*

## Even taller vs. *noch / od / esche* taller

- A prediction: The evaluative effect of *noch / od*, but not of *even* can be cancelled
- But this is not easy to show.....
- An example inspired by Umbach (2010):

(1) Context: *Tick, Tack and Tock are dwarfs – all three are very short.*  
*Tick yoter gavoha mi-tack, ve-tock afile / od yoter gavoha*  
*“Tick is taller than Tack, and Tock is even / noch taller”*
- Both *even* and *od / noch* seem to be felicitous here....
- Perhaps this is because given that we have 3 individuals – they form a new comparison class, with a new standard of tallness? E.g. use a ‘functional standard’ as the start of the comparison class?
  - (cf. Miashkur and Greeneberg (in progress))